| Philadelphia University | PHILADELPHIA <br> UNIVERSITY | Approval date: |
| :---: | :---: | :---: |
| Faculty of Science |  | Issue: |
| Department of Math |  | Credit hours: 3 |
| Academic year 2021/2022 | Course Syllabus | Bachelor |

Course information

| Course\# | Course title |  |  | Prerequisite |
| :---: | :---: | :---: | :---: | :---: |
| 250373 | Linear Programming |  |  | $\begin{gathered} \hline \text { Linear Algebra } 1 \\ 250241 \\ \hline \end{gathered}$ |
| Course type |  |  | Class time | Room \# |
| University RequirementMajor Requirement | $\square$ Faculty R | rement | $\begin{gathered} \hline \text { SMTWT } \\ \text { 12:40-13:40 } \end{gathered}$ | 2827 |
|  | $\square$ Elective | $\boxtimes$ Compulsory |  |  |

Instructor Information

| Name | Office No. | Phone No. | Office Hours | E-mail |
| :---: | :---: | :---: | :---: | :---: |
| Feras Awad | 822 | 2132 | SMTWT <br> $10: 00-11: 00$ | fawad@philadelphia.edu.jo |

Course Delivery Method

| Course Delivery Method |  |  |  |
| :---: | :---: | :---: | :---: |
| $\boxtimes$ Physical | $\square$ Online | $\square$ Blended |  |
| Learning Model |  |  |  |
| Precentage | Synchronous | Asynchronous | Physical |
|  | $\mathbf{0 \%}$ | $\mathbf{0 \%}$ | $\mathbf{1 0 0 \%}$ |

## Course Description

What is a Linear Programming (LP) Problem? Modeling LP Problems. The Graphical Solution of Two-Variable LP Problems. The Idea of the Simplex Method. Converting an LP to Standard Form. Basic Feasible Solutions. The Simplex Algorithm. Representing the Simplex Tableau. Solving Minimization Problem. Artificial Starting Solution and the Big M-Method. Special Cases in the Simplex Method: Degeneracy, Alternative Optima, Unbounded Solutions, Nonexisting (or Infeasible) Solutions. Sensitivity Analysis. Finding the Dual of an LP. The Dual Theorem and its Consequences. Shadow Prices. Duality and Sensitivity Analysis. Complementary Slackness. The Dual-Simplex Method. As a supporting theme, the course will also emphasize the use of mathematical solvers such as LINGO, TORA, MATHEMATICA, and EXCEL.

Course Learning Outcomes

| Number | Outcomes | Corresponding <br> Program <br> outcomes |
| :---: | :--- | :---: |
| Knowledge |  |  |
| $\mathbf{K 1}$ | Define and formulate linear programming problems and <br> determine their limitations. | $\mathbf{K}_{\mathbf{p}} \mathbf{1}, \mathbf{K}_{\mathbf{p}} \mathbf{3}$ |
| $\mathbf{K 2}$ | Apply the simplex and the dual-simplex algorithms for <br> solving linear programming problems. | $\mathbf{K}_{\mathbf{p}} \mathbf{3}$ |
| Skills |  |  |
| $\mathbf{S 1}$ | Use computer software like GeoGebra and TORA to solve <br> problems graphically and analytically. | $\mathbf{S}_{\mathbf{p} \mathbf{4}}$ |
| $\mathbf{S 2}$ | Ability to solve real-life mathematical problems. | $\mathbf{S}_{\mathbf{p}} \mathbf{3}$ |
| $\mathbf{C} \mathbf{C o m p e t e n c i e s}$ |  |  |
| $\mathbf{C 2}$ | Thinking reasonably and the ability to make decisions. | $\mathbf{C}_{\mathbf{p}} \mathbf{1}$ |

## Learning Resources

| Course textbook | Feras Awad (2018) Linear Programming (1 ${ }^{\text {st }}$ ed.). Instructor Lectures and Notes. |
| :---: | :---: |
| Supporting References | - Taha, H. (2018) Operations Research: An Introduction (10 ${ }^{\text {th }}$ ed.). Pearson. <br> - Winston, W. (2004) Operations Research: Applications and Algorithms (4 $4^{\text {th }}$ ed.). Cengage. |
| Supporting websites | GeoGebra: https://www.geogebra.org/ |
| Teaching Environment | 区Classroom $\square$ laboratory $\square$ Learning platform $\square$ Other |

## Meetings and Subjects Timetable

| Week | Topic | Learning <br> Methods | Tasks | Learning <br> Material |
| :---: | :--- | :---: | :---: | :---: |
| $\mathbf{1}$ | Explanation of the study plan for the course, and <br> what is expected to be accomplished by the <br> students. | Lecture | Course <br> Syllabus |  |
|  | Introduction to Linear Programming: <br> Operations Research. <br> What is a Linear Programming (LP) Problem? <br> Modeling LP Problems. <br> Geometric Preliminaries and Solutions: Half- <br> Spaces, Hyperplanes, and Convex Sets | Lecture | Chapter 1 |  |
|  | The Graphical Solution of Two-Variable LP <br> Problems. <br> The Corner Point Theorem and its Proof. <br> How to use GeoGebra? | Lecture | Homework <br> Computer Task | Chapter 1 |


| 3 | The Simplex Method: <br> The Idea of the Simplex Method. <br> Converting an LP to Standard Form. <br> Basic Feasible Solutions. <br> The Simplex Algorithm: Iterative Nature of the Simplex Method, Computational Details of the Simplex Algorithm, Representing the Simplex Tableau. | Lecture | Quiz | Chapter 2 |
| :---: | :---: | :---: | :---: | :---: |
| 4 | Solving Minimization Problem. <br> How to use TORA? <br> Artificial Starting Solution and the Big M-Method. <br> Special Cases in the Simplex Method: <br> Degeneracy, Alternative Optima, Unbounded Solutions, Nonexisting (or Infeasible) Solutions. | Lecture | Computer Task | Chapter 2 |
| 5 | Duality and Sensitivity Analysis: <br> Some Important Formulas. <br> Sensitivity Analysis. <br> Finding the Dual of an LP. | Lecture | Midterm Exam | Chapter 3 |
| 6 | The Dual Theorem and its Consequences. Shadow Prices. <br> Duality and Sensitivity Analysis. | Lecture | Quiz | Chapter 3 |
| 7 | Complementary Slackness. The Dual-Simplex Method. | Lecture |  | Chapter 3 |
| 8 | Final Exam |  |  |  |

* Includes: Lecture, flipped Class, project- based learning, problem solving based learning, collaborative learning


## Course Contributing to Learner Skill Development

## Using Technology

- Use GeoGebra to solve linear programming problems graphically.
- Use TORA to solve linear programming problems analytically by the simplex method and the dual-simplex method.


## Communication Skills

- Choose a special case linear programming problem and present it to the students and explaining its solution method.


## Application of Concepts Learnt

- Formulate a real-life situation using linear programming and completely solve it graphically (if possible) and analytically and make a sensitivity analysis of the model.


## Assessment Methods and Grade Distribution

| Assessment Methods | Grade <br> Weight | Assessment Time <br> (Week No.) | Link to Course <br> Outcomes |
| :---: | :---: | :---: | :---: |
| Mid Term Exam | $\mathbf{3 0 \%}$ | $\mathbf{4}$ | K1, K2 |
| Various Assessments * | $\mathbf{3 0 \%}$ | Continuous | S1, S2, C1, C2 |
| Final Exam | $\mathbf{4 0 \%}$ | $\mathbf{8}$ | K1, K2 |
| Total | $\mathbf{1 0 0 \%}$ |  |  |

[^0]
## Alignment of Course Outcomes with Learning and Assessment Methods

| Number | Learning Outcomes |  |  | Learning <br> Method* |  |
| :---: | :--- | :---: | :---: | :---: | :---: |
| Kssessment <br> Method** |  |  |  |  |  |
| K1 | Define and formulate linear programming <br> problems and determine their limitations. | Lecture | Exam |  |  |
| K2 | Apply the simplex and the dual-simplex <br> algorithms for solving linear programming <br> problems. | Lecture | Exam |  |  |
| Skills |  |  |  |  |  |
| S1 | Use computer software like GeoGebra and <br> TORA to solve problems graphically and <br> analytically. | Case Study | Computer <br> Project |  |  |
| S2 Competencies |  |  |  |  |  |
| C1 | Thinking reasonably and the ability to make <br> decisions. | Discussion | Quiz |  |  |
| C2 | Work in a team to implement one of the tasks of <br> the course. | Case Study | Group <br> Project |  |  |

[^1]
## Course Polices

| Policy | Policy Requirements |
| :---: | :---: | :---: |
| Passing Grade | The minimum passing grade for the course is (50\%) and the minimum final <br> mark recorded on transcript is (35\%). |
| Missing <br> Exams | Missing an exam without a valid excuse will result in a zero grade to <br> be assigned to the exam or assessment. <br> A Student who misses an exam or scheduled assessment, for a <br> legitimate reason, must submit an official written excuse within a <br> week from an exam or assessment due date. <br> A student who has an excuse for missing a final exam should submit <br> the excuse to the dean within three days of the missed exam date. |
| Attendance | The student is not allowed to be absent more than (15\%) of the total hours <br> prescribed for the course, which equates to six lectures days (M, W) and seven <br> lectures (S, T, T). If the student misses more than (15\%) of the total hours <br> prescribed for the course without a satisfactory excuse accepted by the dean <br> of the faculty, s/he will be prohibited from taking the final exam and the grade <br> in that course is considered (zero), but if the absence is due to illness or a <br> compulsive excuse accepted by the dean of the college, then withdrawal grade <br> will be recorded. |
| Academic <br> Honesty | Philadelphia University pays special attention to the issue of academic <br> integrity, and the penalties stipulated in the university's instructions are <br> applied to those who are proven to have committed an act that violates <br> academic integrity, such as: cheating, plagiarism (academic theft), collusion, <br> and violating intellectual property rights. |

## Program Learning Outcomes to be Assessed in this Course

| Number | Learning Outcome | Course Title | Assessment <br> Method | Target <br> Performance <br> level |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{S}_{\mathbf{p}} \mathbf{3}$ | Translating life situations into <br> mathematical models | Linear <br> Programming | Homework | $100 \%$ of the <br> students get <br> $70 \%$ or more <br> on the rubric |

## Description of Program Learning Outcome Assessment Method

| Number | Detailed Description of Assessment |
| :---: | :--- |
| $\mathbf{S}_{\mathbf{p}} \mathbf{3}$ | The student is given a real-life problem, in the 6 ${ }^{\text {th }}$ week, that is compatible with <br> linear programming and formulates it into a mathematical model. |

## Assessment Rubric of the Program Learning Outcome

|  | Poor (1 pt.) <br> Student is very confused and does not understand the topic, nor is able to clearly grasp how to apply it or when to use it. | Fair (2 pts) <br> Student has a decent grasp of the process but makes some major mistakes. | Good (3 pts) <br> Student is almost perfect in their understanding of the topic, with some minor confusion or mistakes. | Excellent (4 pts) <br> Student understands the concept perfectly. |
| :---: | :---: | :---: | :---: | :---: |
| Define Variables <br> Number of variables Clarity of the variables | Incorrect number of variables and no explanation of variables used. | Correct number of variables but it is not clear what variables stand for. | Correct number of variables. <br> Complete sentences are not used but it is clear what variables stand for. | Correct number of variables including description of what variable represents in the problem with complete sentences. |
| Objective Function <br> Clear and correct with justification | Objective function is totally wrong. | Objective function is not fully correct. Some of the variables or coefficients are incorrect | Objective function is correct without a clearly written justification. | Objective function is correct with a clearly written justification. |
| Constraints <br> Clear and correct with justification | Includes inequalities for constraints with minor errors. | Includes correct inequalities for constraints with no justification. | Includes correct inequalities for constraints with some justification. | Includes correct inequalities for constraints with justification written. |


[^0]:    * Includes: quiz, in class and out of class assignment, presentations, reports, videotaped assignment, group or individual projects.

[^1]:    * Includes: Lecture, flipped Class, project- based learning, problem solving based learning, collaborative learning
    ** Includes: quiz, in class and out of class assignment, presentations, reports, videotaped assignment, group or individual projects.

